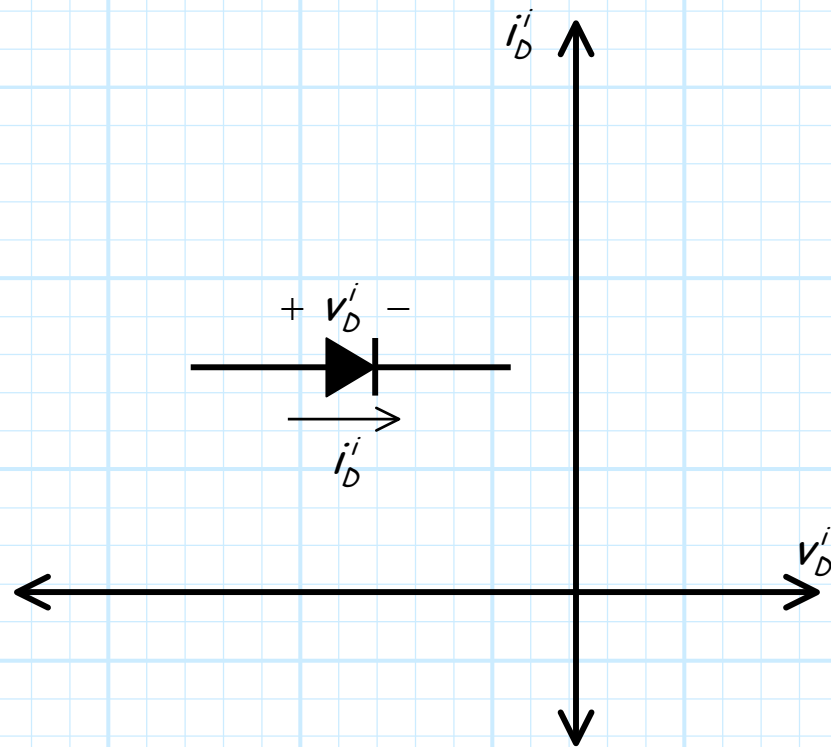


## 3.1 The Ideal Diode (pp.139-141)

### A. The Ideal Diode Symbol

### B. Ideal Diode Behavior

## HO: Linear Device Behavior



### C. Diode Bias Regions

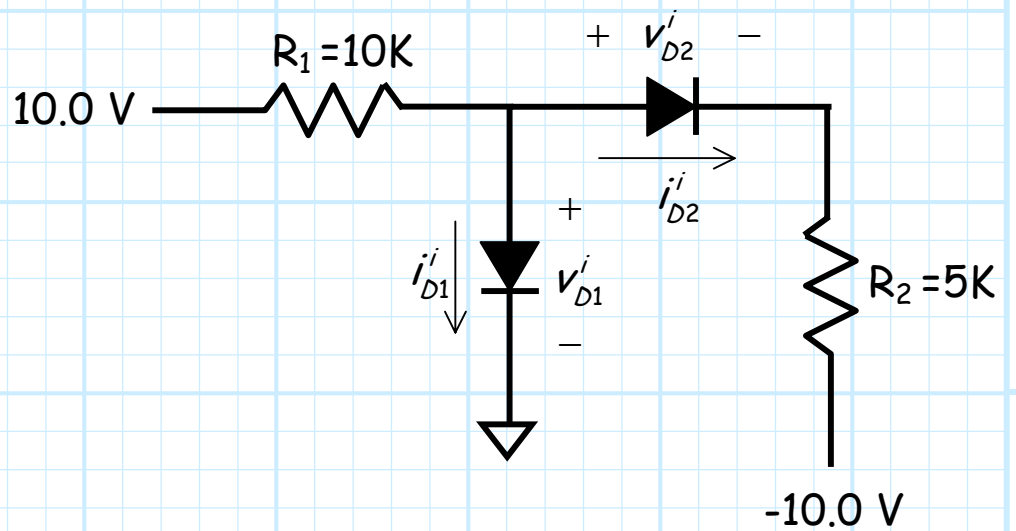
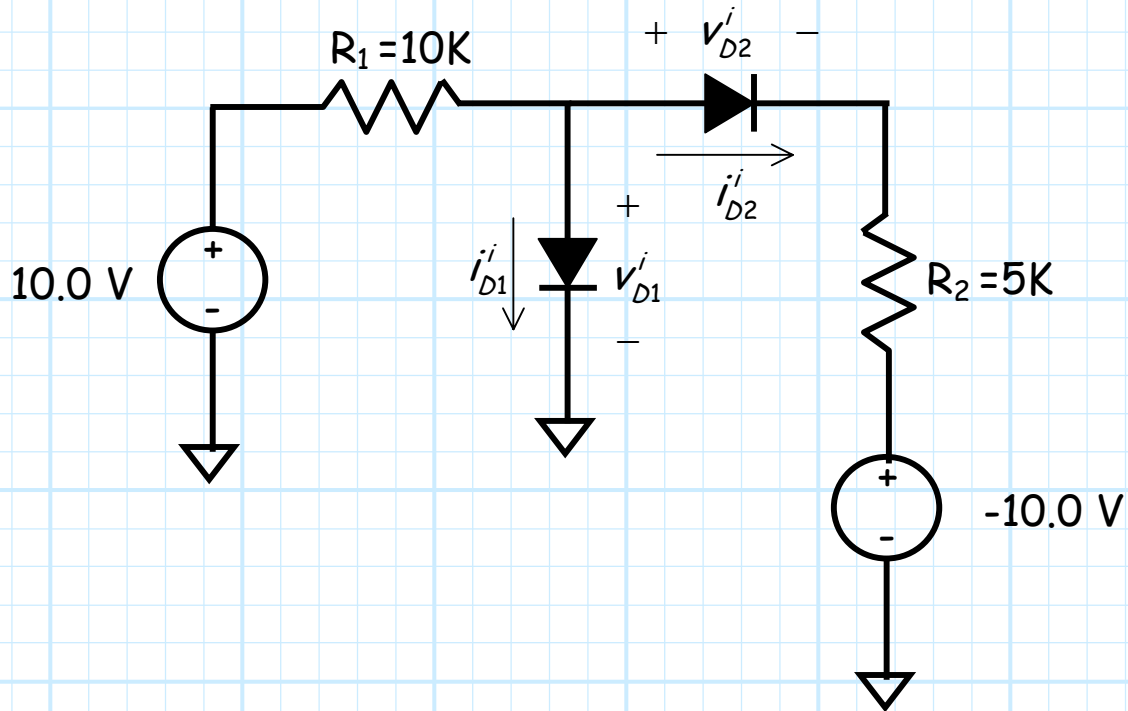
#### 1) Forward Biased

## 2) Reverse Biased

HO The Ideal Diode

HO Diode Mechanical Analogy

## D. Ideal Diode Circuit Analysis



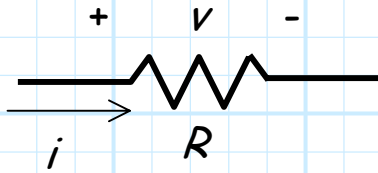
HO: The Ideal Diode Circuit Analysis Guide

HO: Example: A Simple Ideal Diode Circuit

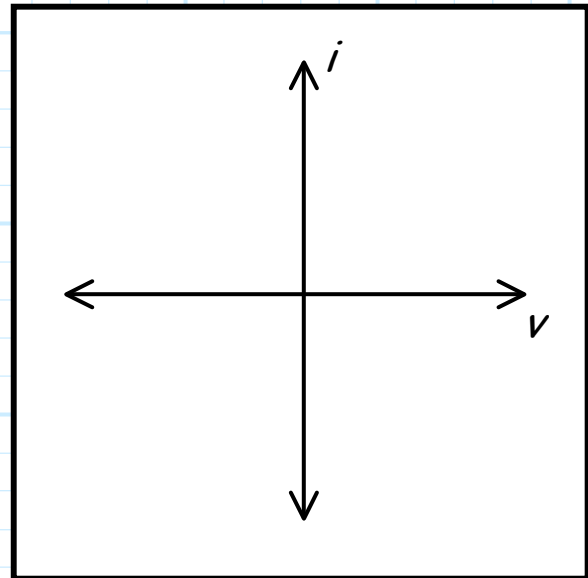
HO: Example: Analysis of a Complex Diode Circuit

# Linear Device Behavior

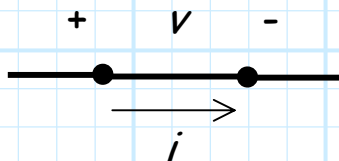
1) Recall the circuit behavior of a **resistor**:



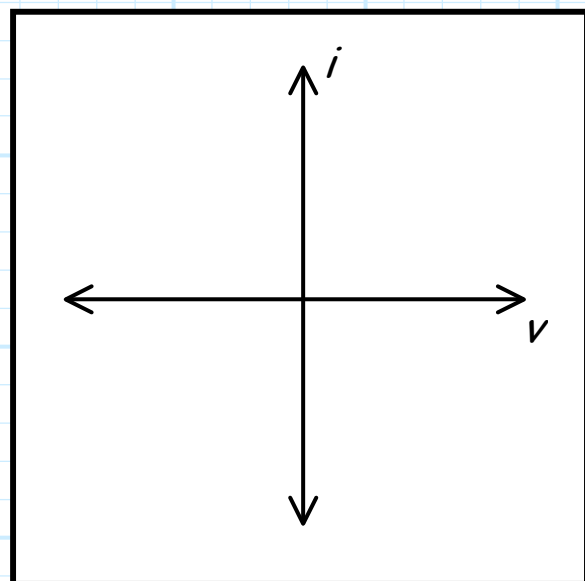
$$i = \frac{v}{R}$$



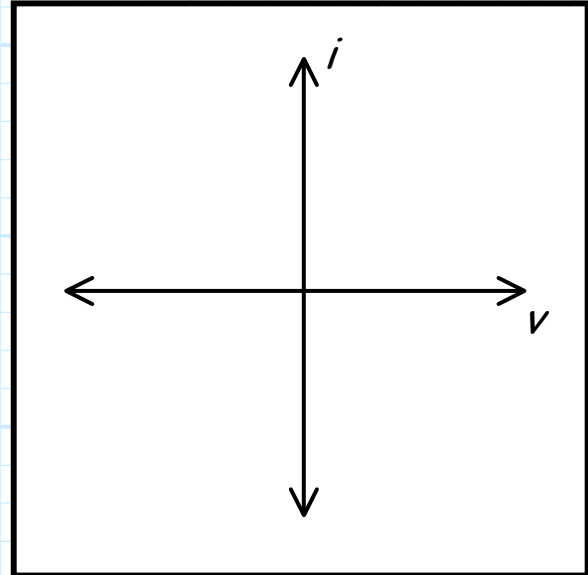
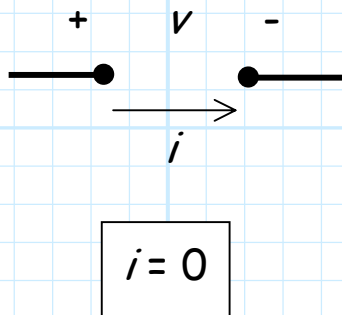
2) If  $R=0$ , then we have a **short circuit**:



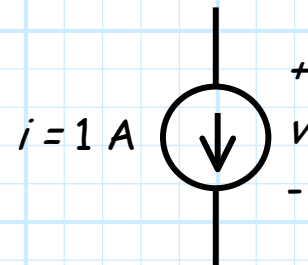
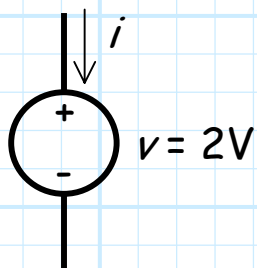
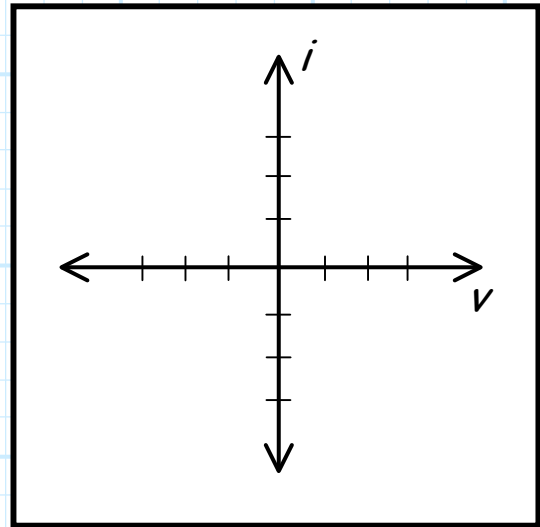
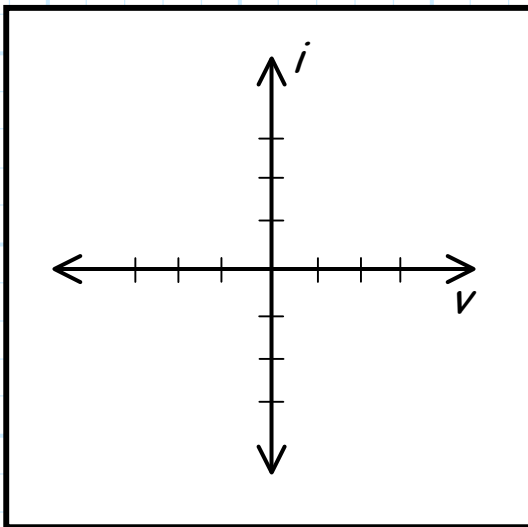
$$v = 0$$



3) If  $R = \infty$ , then we have a **open circuit**:



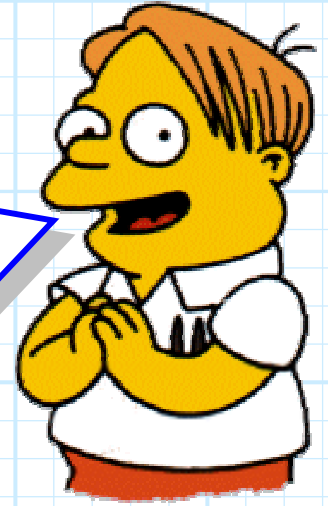
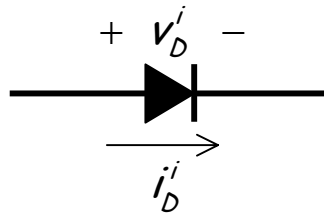
4) We can also plot the behavior of both current and voltage sources:



# The Ideal Diode

An **ideal diode**—the circuit device with a split personality!

→ Is it a **short**? Or is it an **open**?



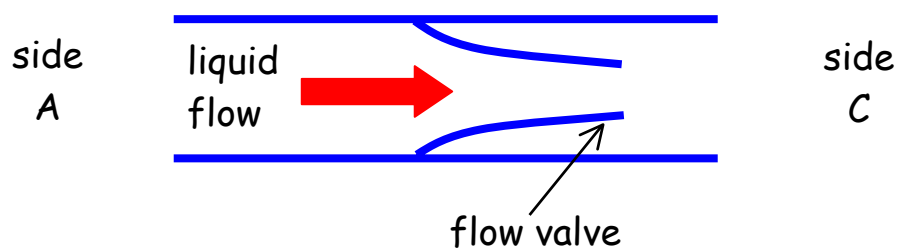
	$v_D^i < 0$	$v_D^i = 0$	$v_D^i > 0$
$i_D^i > 0$	invalid	<b>forward biased</b>	invalid
$i_D^i = 0$	<b>reverse biased</b>	<b>no bias</b>	invalid
$i_D^i < 0$	invalid	invalid	invalid



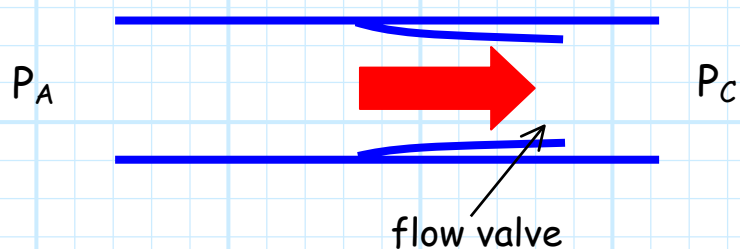
# The Diode

## Mechanical Analogy

An ideal diode is sort of like a mechanical valve !



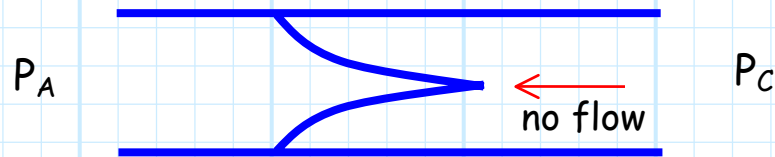
Case 1: Valve allows liquid to flow in pipe from side A to side C.



There is no drop in pressure ( $P$ ) from side A to side C.

$$\rightarrow P_A - P_C = 0$$

Case 2: Valve prevents liquid from flowing **back** from side C to side A.



No flow occurs when pressure  $P_C$  is greater than pressure  $P_A$

→  $P_A - P_C < 0$

Note the **analogies** with an ideal diode:

**Valve**

Pressure

Liquid Flow

Side A

Side C

Case 1

Case 2

**Diode**

Voltage

Current

Anode

Cathode

Forward Bias

Reverse Bias



# The Ideal Diode Circuit Analysis Guide

Follow these easy steps to successfully analyze a circuit containing one or more **ideal** diodes !

**Step 1:** *ASSUME* a bias state for each ideal diode.

⇒ In other words, **GUESS !!**

Either,

- a) *ASSUME* an ideal diode is **forward biased**, or
- b) *ASSUME* it is **reversed biased**.

**Step 2:** *ENFORCE* the **equality** condition consistent with your assumption.

- a) If you assume an ideal diode is **f.b.**, then *ENFORCE* the equality:

$$v_D' = 0$$

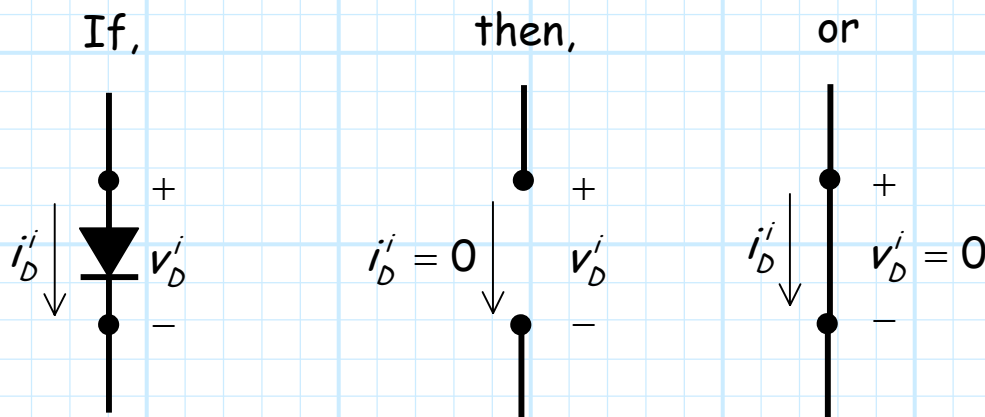
*HOW ?* ⇒ By replacing the **ideal** diode with a **short** circuit!

b) If you assumed an ideal diode was **r.b.**, then **ENFORCE** the condition that:

$$i_D^i = 0$$

**HOW ?**  $\Rightarrow$  By replacing the ideal diode with an **open** circuit.

**IMPORTANT !!!** Retain the **same** current and voltage definitions when you replace the ideal diode!



**Step 3:** *ANALYZE* the circuit.

After the all **ideal** diodes have been replaced with either shorts or opens:

- a) Determine **all** desired (required) circuit values.
- b) Determine  $i_D^i$  through each **short** circuit and  $v_D^i$  across each **open** circuit.

**Step 4:** *CHECK* the **inequality** consistent with your assumption to see **if** this assumption is correct.

*HOW ??*

a) An **ideal** diode cannot have negative current flowing through it. If you **ASSUMED** the ideal diode was **forward biased**, *CHECK* to see if the **short** circuit current is positive, i.e.:

$$i_D^i > 0$$

**If** true, you *ASSUMED* correctly ! **If not**, your **f.b.** assumption is wrong.

b) An **ideal** diode cannot have positive voltage across it. If you **ASSUMED** the ideal diode was **reversed biased**, *CHECK* to see if the **open** circuit voltage is negative, i.e.:

$$v_D^i < 0$$

**If** true, you *ASSUMED* correctly ! **If not**, your **r.b.** assumption is wrong.

**Step 5:** If you **ASSUMED** incorrectly, then change your assumptions and return to step 1 !

## Notes on ideal diode circuit analysis:

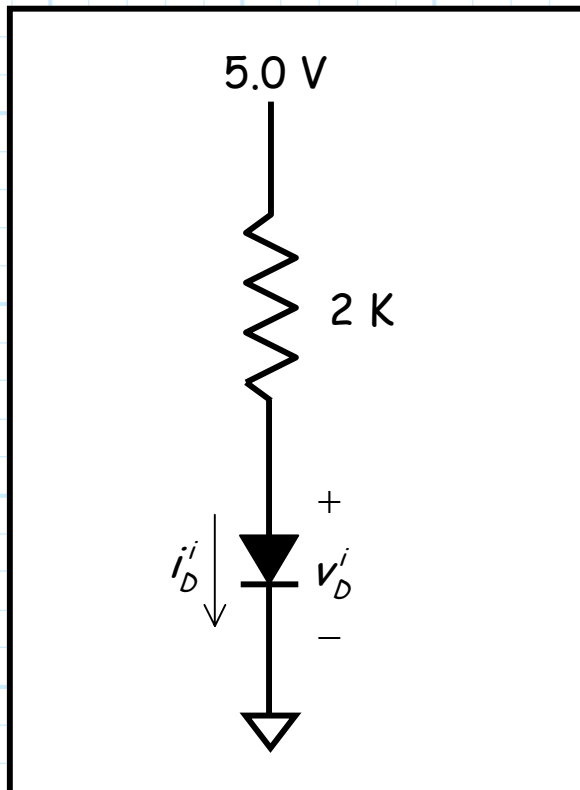
- 1) You **must** check all assumptions in this form:

$$i_D^i = 2 \text{ mA} > 0 \checkmark \quad \text{or} \quad v_D^i = 2.2 > 0 \text{ X}$$

- 2) Do **not** check the condition that you enforced!
- 3) For **every** circuit, one and only one assumption will be valid.

# Example: A Simple Ideal Diode Circuit

Consider this simple circuit that includes an **ideal** diode:



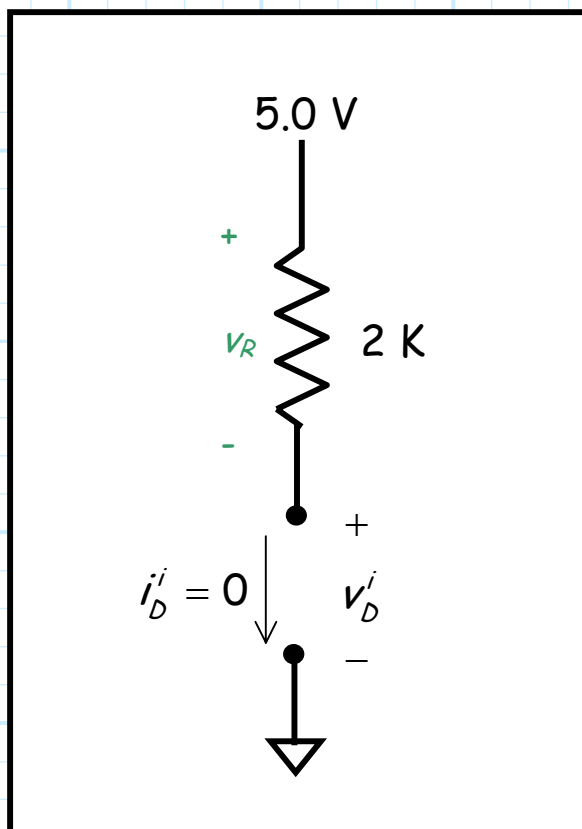
**Q:** What are  $i_D^i$  and  $v_D^i$ ?

**A:** Follow the five easy analysis steps!

**Step 1:** Let's *ASSUME* the ideal diode is **reverse biased** (we're just guessing!).

**Step 2:** We therefore *ENFORCE*  $i_D^i = 0$  by replacing the ideal diode with an **open circuit**.

**Step 3:** Now we *ANALYZE* the circuit; finding the value of  $v_D^i$ .



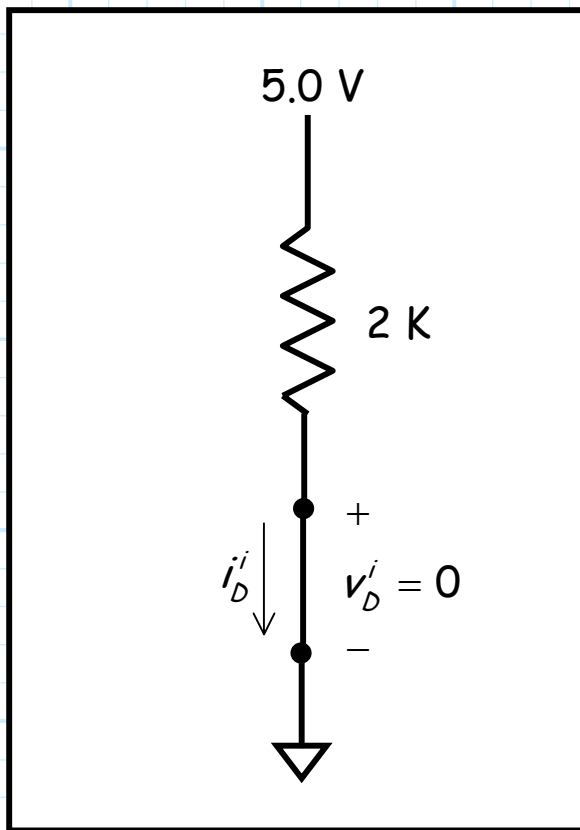
**Step 4:** Now let's CHECK our result.  $\Rightarrow$  Is  $v_D^i < 0$  ??

$$v_D^i =$$

We must change our assumption, and then **start over** (Doh!).

- 1) Now *ASSUME* the ideal diode is **forward biased** (what's left?).
- 2) We therefore *ENFORCE*  $v_D^i = 0$  by replacing the ideal diode with an **short** circuit.
- 3) Now we *ANALYZE* the circuit; finding the value of  $i_D^i$ .





KVL:

4) Now, let's CHECK our result.  $\Rightarrow$  Is  $i_D^i > 0$  ??

$$i_D^i =$$

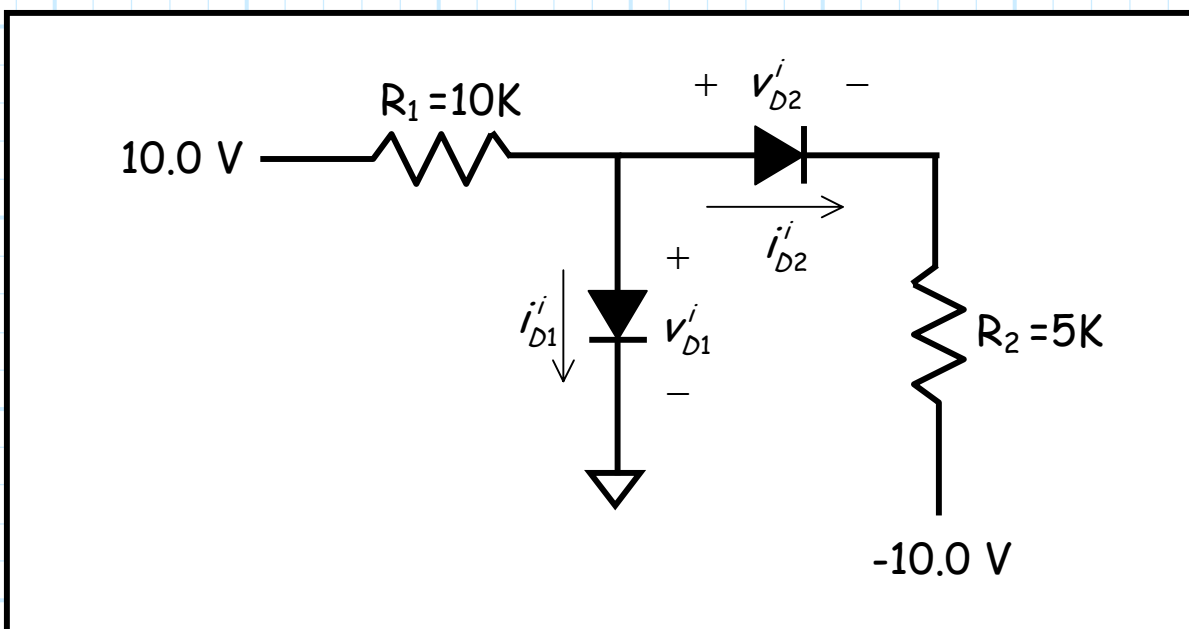
Our assumption is correct !

Therefore, in this circuit, we now know that:

$$v_D^i = 0 \text{ and } i_D^i =$$

# Example: Analysis of a Complex Diode Circuit

Consider this circuit with **two ideal diodes**:



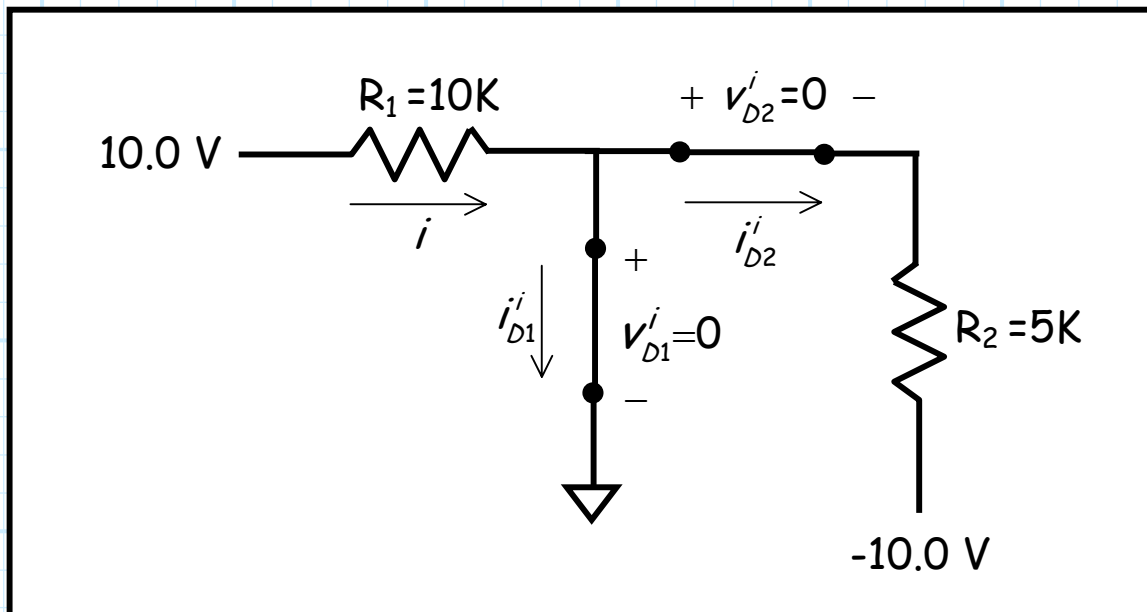
Let's analyze this circuit and find  $v_{D1}^i$ ,  $i_{D1}^i$ ,  $v_{D2}^i$ , and  $i_{D2}^i$  !

Remember, we must accomplish each of the **five** steps:

**Step 1:** *ASSUME* that both  $D_1$  and  $D_2$  are "on" (might as well!).

**Step 2:** *ENFORCE* the equalities  $v_{D1}^i = 0 = v_{D2}^i$ , by replacing each ideal diode with a **short** circuit.

**Step 3:** *ANALYZE* the resulting circuit, and find  $i_{D1}^i$  and  $i_{D2}^i$ .



Begin with **KCL**:

$$i = i_{D1}^i + i_{D2}^i$$

where  $i =$

and  $i_{D2}^i =$

Therefore,  $i_{D1}^i =$

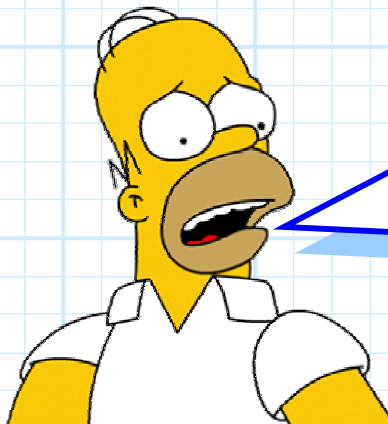
**Step 4:** Now we must *CHECK inequalities* to see if our assumptions are correct!

$$i_{D1}^i =$$

$$i_{D2}^i =$$



One assumption is therefore **INCORRECT**. We must proceed to **step 5**—change our assumptions and **completely** start again!



**Q:** *Wait a second! We don't have to **completely** start from the beginning, do we? After all, our assumption about diode  $D_2$  turned out to be **true**—so we **already** know that  $i_{D2}^i =$       and  $v_{D2}^i = 0$ , **right?***

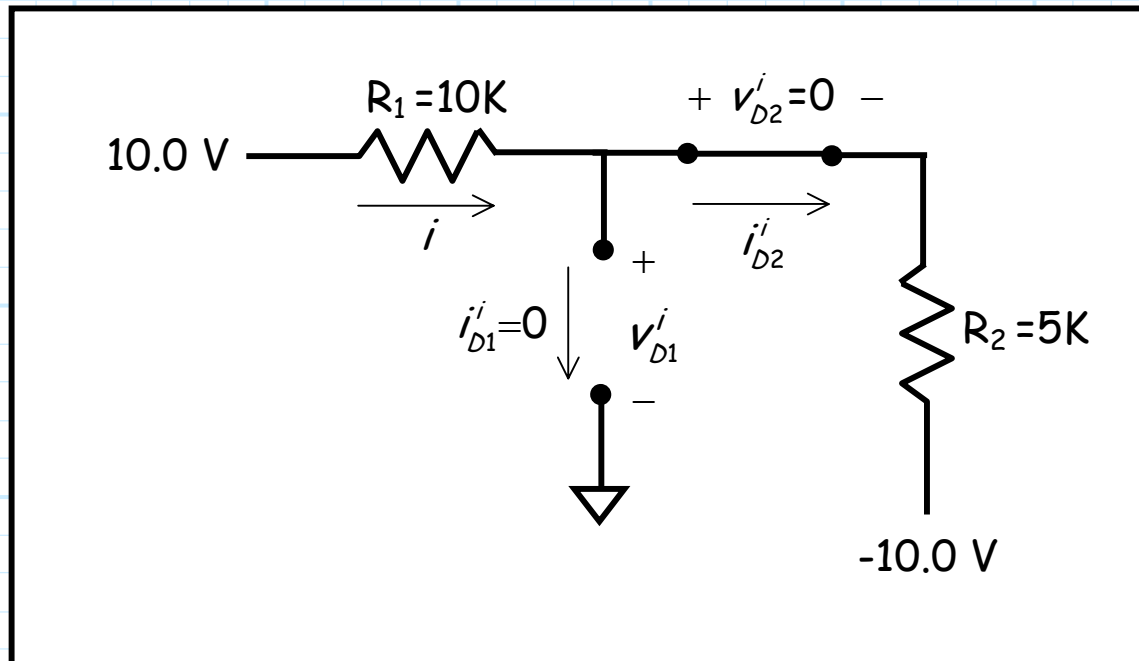
**A:** **NO!** The solution for diode  $D_2$  is dependent on the state of both diodes  $D_1$  and  $D_2$ . If the assumption of just **one** diode turns out to be incorrect, then the solutions for **all** diodes are **wrong!**

So, let's change our assumption and start all over again!

**Step 1:** Now *ASSUME* that  $D_1$  is "off" and  $D_2$  is "on".

**Step 2:** *ENFORCE*  $i_{D1}^i = 0$  ( $D_1$  open) and  $v_{D2}^i = 0$  ( $D_2$  short).

**Step 3:** *ANALYZE* resulting circuit, and find  $v_{D1}^i$  and  $i_{D2}^i$ .



Note  $i = i_{D2}^i =$

and from KVL:

4) CHECK our assumptions.

$$i_{D2}^i =$$

$$v_{D1}^i =$$

$\therefore$  Assumptions are **correct!** We are finished!



$$v_{D1}^i =$$

$$i_{D1}^i = 0$$

$$v_{D2}^i = 0$$

$$i_{D2}^i =$$